Name: $\qquad$

## A Compound Machine: The Bicycle SPH4C

Purpose: The student will be able to describe how a multi-speed bicycle applies the principles of simple machines and make mathematical calculations related to the use of these machines.

Materials: multi-speed bicycle, metre stick and ruler, two spring scales, string


## Part 1: Forces and Friction

What are the three parts of the bicycle to which a rider applies a force?

Which of these forces will produce a torque?

Where can you find devices designed to reduce friction (such as bearings)?

Where can you find devices designed to increase friction?

## Part 2: Simple Machines

Find at least 4 examples of simple machines on the bicycle you are investigating (not including the gears). For each machine you find, describe its function and draw a labelled sketch of how it operates (e.g., labelling the fulcrum and/or effort distance/arm). If it is a member of the lever family, identify the class of lever.

| Part: $\qquad$ <br> Function: | Part: $\qquad$ <br> Function: |
| :---: | :---: |
|  |  |
| Sketch: | Sketch: |
| Part: | Part: |
| Function: | Function: |
| Sketch: | Sketch: |

## Part 3: Gears

On the bicycle, the gears are also called sprockets and are connected by a chain. Determine the gear ratios for the bicycle. (Note that you may find it easier to take the ratios of the diameters of the gears than the ratios of the number of teeth.)

How many possible effort (driver/pedal) gears are there? $\qquad$

drive sprockets
List their measurements (either the number of teeth or the diameters of the gears):

How many possible load (driven/rear wheel) gears are there? $\qquad$
List their measurements (either the number of teeth or the diameters of the gears):

What is the lowest possible gear ratio/IMA? Remember that your gear ratio is the ratio of the number of teeth (or the diameter) of the effort gear to the number of teeth (or the diameter) of the load gear. To get the lowest possible gear ratio, you need to take the ratio of the smallest effort gear to the largest load gear. Show your calculation here:

Under what conditions would you want to use this gear ratio? Explain.

What is the highest possible gear ratio/IMA? To get the highest possible gear ratio, you need to take the ratio of the largest effort gear to the smallest load gear. Show your calculation here:

Under what conditions would you want to use this gear ratio? Explain.

Determine the AMA for the lowest gear ratio and for the highest gear ratio by tying a piece of string around the tire (as shown in the diagram at right) to measure the load force.
(You will need to hold both spring scales.)
Vary the load force and record the measurement on both spring scales when you are holding both at static equilibrium.


Table 1: Load force and effort force for the lowest gear ratio

| Trial | Load Force $F_{L}(\mathrm{~N})$ | Effort Force $F_{E}(\mathrm{~N})$ | $A M A=\frac{F_{L}}{F_{E}}$ |
| :---: | :--- | :--- | :--- |
| 1 |  |  |  |
| 2 |  |  |  |
| 3 |  |  |  |
| 4 |  |  |  |

Calculate your average AMA for the lowest gear ratio: average AMA = $\qquad$
Determine the percent efficiency of the lowest gear ratio:

$$
\text { percent efficiency }=\frac{A M A}{I M A} \times 100 \%=
$$

Could this percent efficiency change when the bicycle is in motion? Explain.

Table 2: Load force and effort force for the highest gear ratio

| Trial | Load Force $F_{L}(\mathrm{~N})$ | Effort Force $F_{E}(\mathrm{~N})$ | $A M A=\frac{F_{L}}{F_{E}}$ |
| :---: | :--- | :--- | :--- |
| 1 |  |  |  |
| 2 |  |  |  |
| 3 |  |  |  |
| 4 |  |  |  |

Calculate your average AMA for the highest gear ratio: average AMA = $\qquad$
Determine the percent efficiency of the highest gear ratio:

$$
\text { percent efficiency }=\frac{A M A}{I M A} \times 100 \%=
$$

